

Time-Domain Astronomy

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17th March 2026

Course Structure

All the population and its time, energy/luminosity/brightness range, coherent-incoherent emission

Pulsars, Millisecond Pulsars, Pulsar Search

Online quiz on topic covered so far (**5% evaluation**)

Pulsar Timing, Pulsar Emission properties, a tool for probing ISM, detecting GWs

Presentation + Report on Pulsar Astronomy (**15% evaluation**) - 7th April

RRATs in general, Magnetars in general

Online quiz on topic covered so far (**5% evaluation**)

Fast Radio Bursts (FRBs) in general, FRBs discovery, localisation and Cosmology

Online quiz on topic covered so far (**5% evaluation**)

Long Period Transients (LPTs)

Presentation + Report on FRBs and LPTs (**15% evaluation**) - 21st April

Other transients

Coding assignments on pulsars, FRBs (**10% evaluation**) - 28th April

Instrumentation developments for TDA: Single dish Vs Phased Array

Observational techniques for TDA

Coding assignments on instrumentation/techniques (**10% evaluation**) - 12th May

Online quiz on topic covered so far (**5% evaluation**)

Multi-messenger TDA, Future of TDRA

30% evaluation from class attendance and performance

Reference Materials

Pulsar Astronomy by Andrew G. Lyne and Francis Graham-Smith

Handbook of Pulsar Astronomy by Duncan R. Lorimer and Michael Kramer

Pulsars by R. N. Manchester and J. H. Taylor

The Physics of Fast Radio Bursts by Bing Zhang

Long Period Transients (LPTs): a comprehensive review by [Nanda Rea](#), [Natasha Hurley-Walker](#) and [Manisha Caleb](#)

Radio Millisecond Pulsars by Bhaswati Bhattacharyya and Jayanta Roy

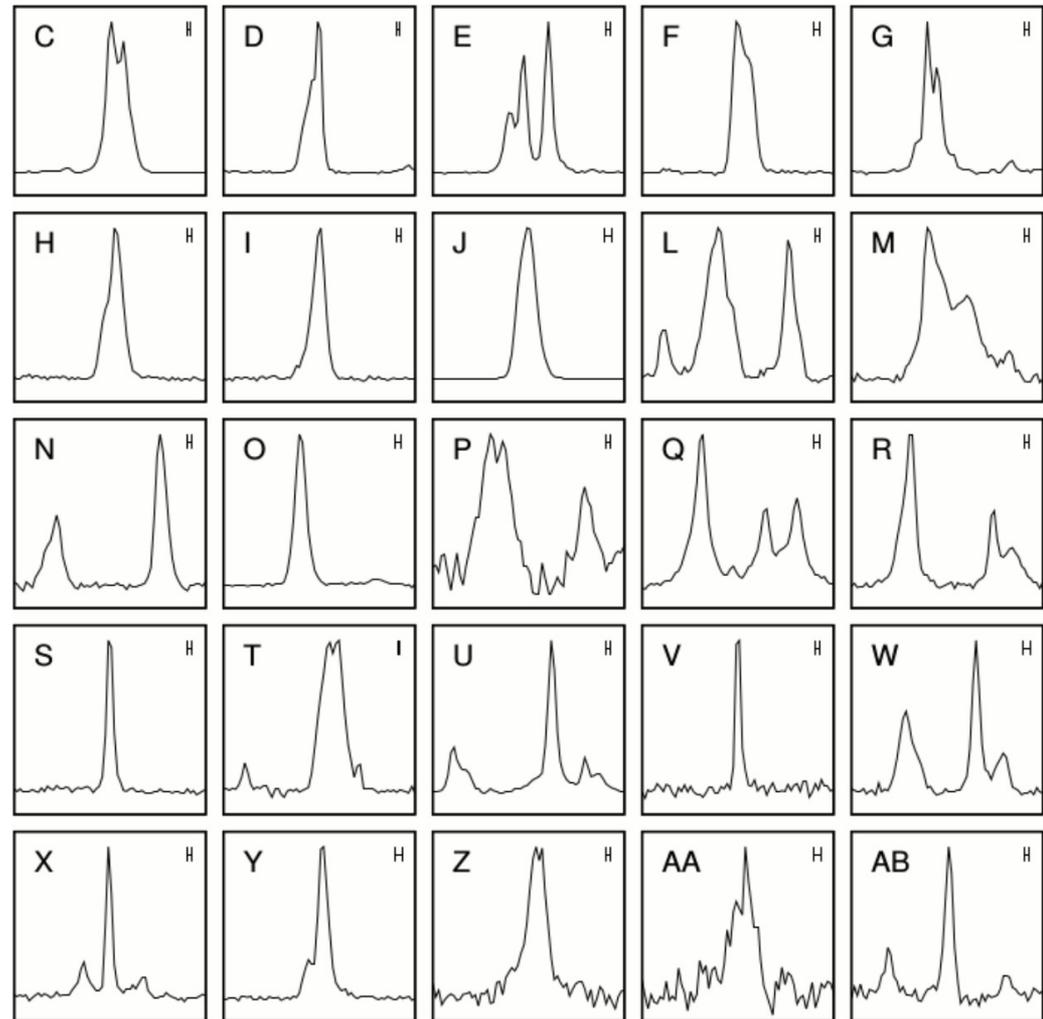
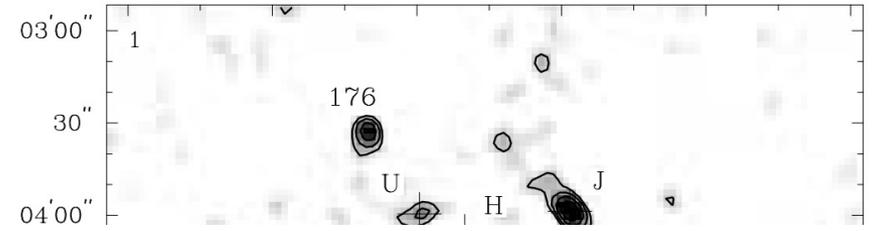
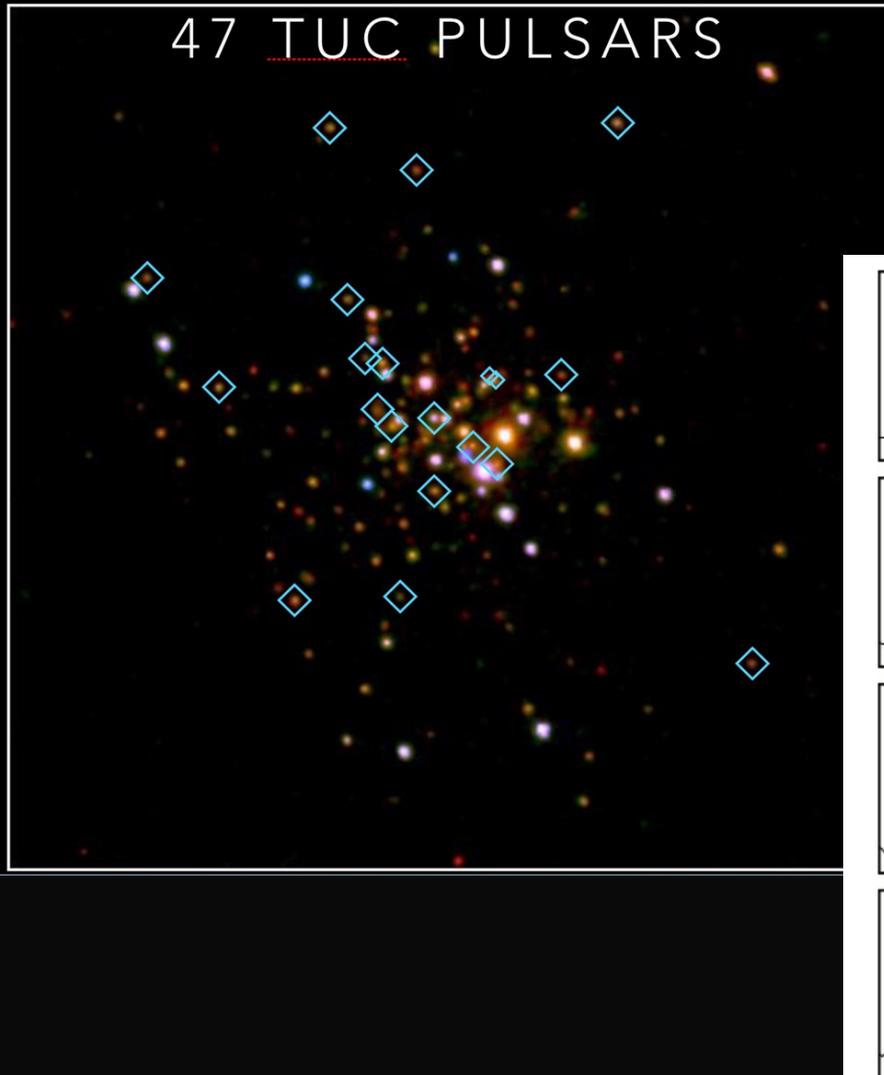
The discovery and significance of fast radio bursts by [Duncan R. Lorimer](#), [Maura A. McLaughlin](#), [Matthew Bailes](#)

Multi-wavelength and Multi-messenger Counterparts of Fast Radio Bursts by Bing Zhang

The Astrophysics of Nanohertz Gravitational Waves by Sarah Burke-Spolaor et al.

Time-domain imprint of point sources

47 TUC PULSARS



Time-domain astronomy

Study of astronomical phenomena that change with time

→ focuses on variability, transients, and dynamic events by monitoring how the brightness, spectrum, or other properties of sources evolve over time

Revealing dynamic processes in the universe

Variability type

→ Periodic: e.g. Pulsars

→ Transient: e.g. Fast Radio Bursts

→ Stochastic: Stellar flares

Time-domain astronomy

Timescale

nanoseconds

microseconds

milliseconds

seconds

hours–days

months–years

decades

Sources

pulsar nanoshots

giant pulses

FRBs

Magnetar bursts

stellar flares

supernovae

AGN variability

Time-domain astronomy

Wavelength

Radio

Optical

X-ray

Gamma-ray

Time-domain phenomena

Pulsars, FRBs

Supernovae, variable stars

Accreting binaries

GRBs

Entering a “golden era” because recent technological advances now allow to monitor large portions of the sky continuously with high sensitivity and rapid response

Fast Transients Population

Pulsars (4000)

Rotating Radio Transients (RRATs; 120)
McLaughlin et al. 2006

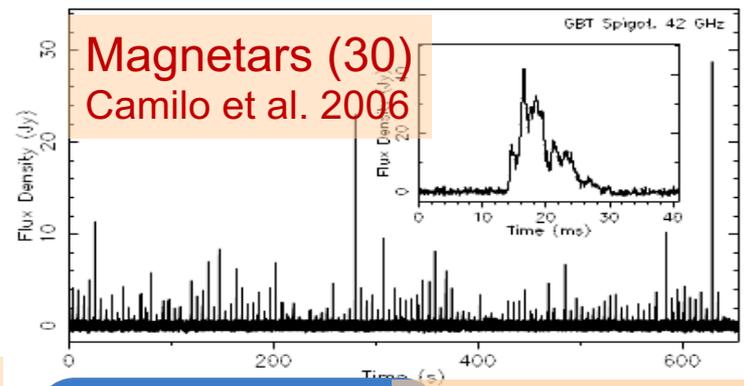
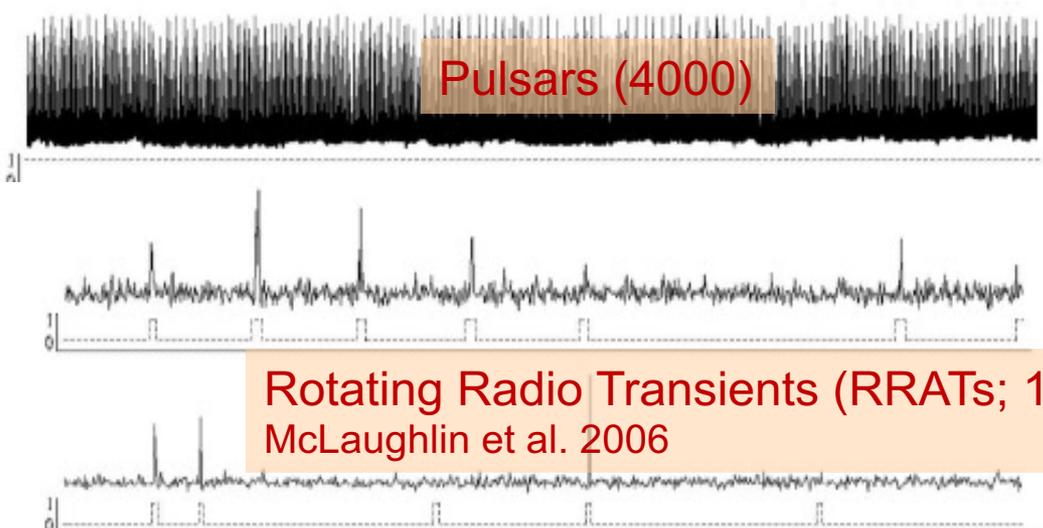
Magnetars (30)
Camilo et al. 2006

FRBs (4500)
Lorimer et al. 2007

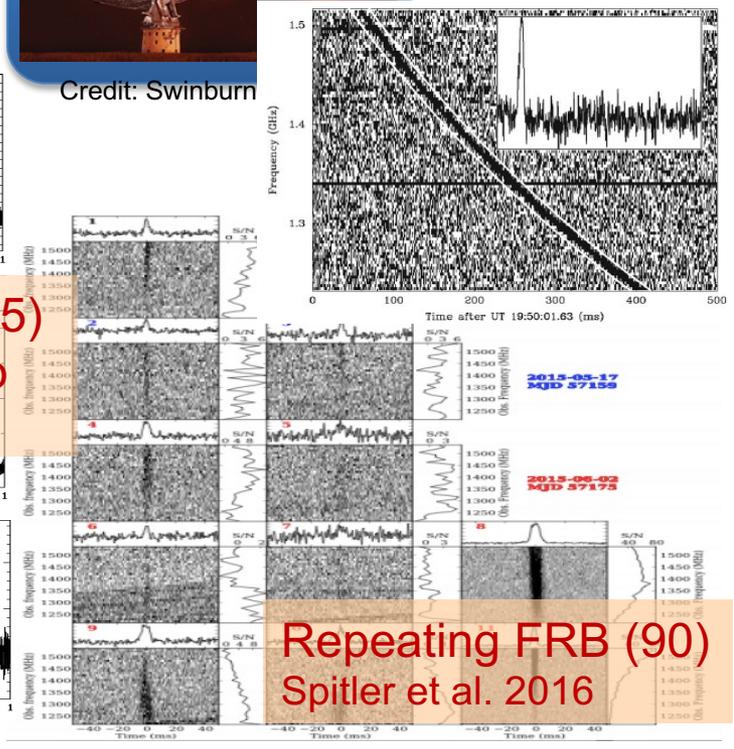
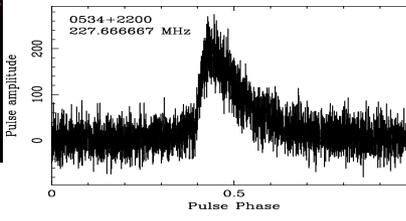
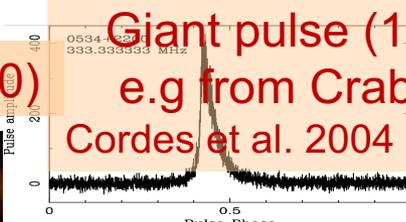
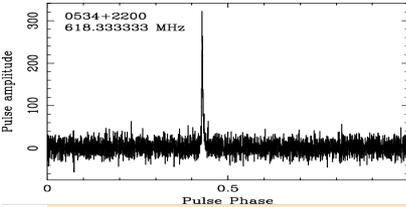
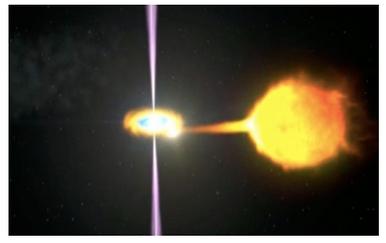
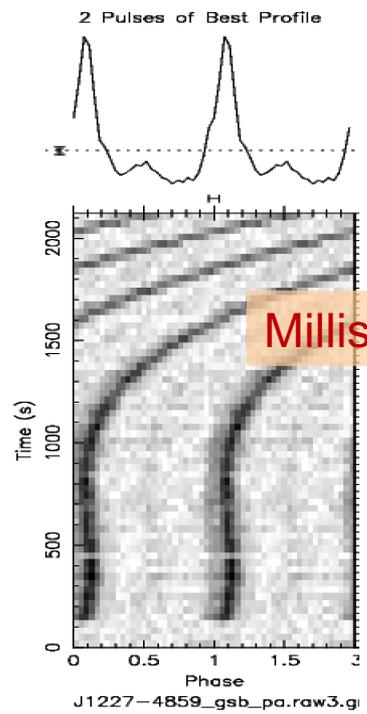
Millisecond Pulsars (600)

Giant pulse (15)
e.g from Crab
Cordes et al. 2004

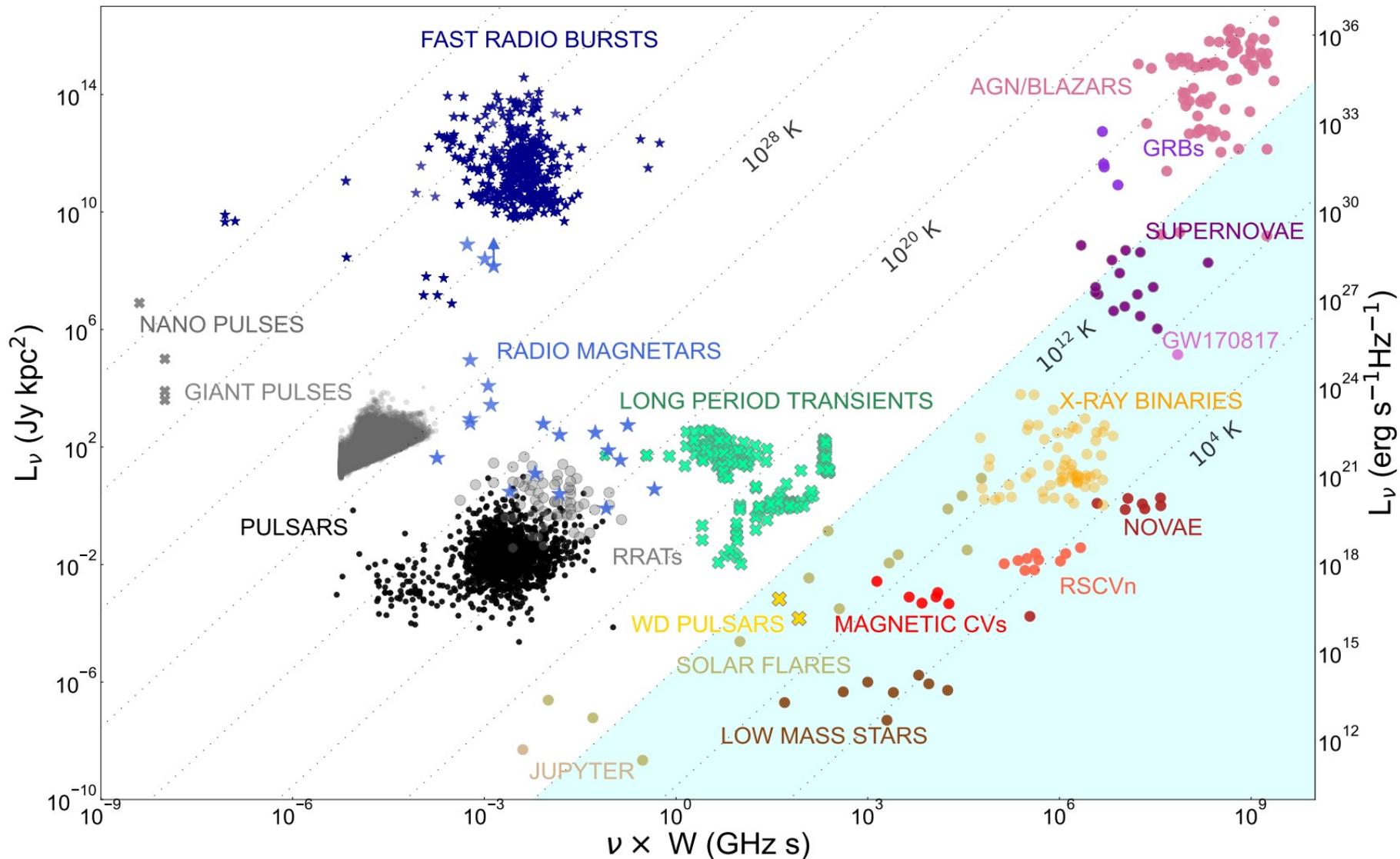
Repeating FRB (90)
Spitler et al. 2016



Credit: Swinburn



Fast Transients Population



The x-axis represents the product of observing frequency and burst duration

The y-axis axis shows spectral radio luminosity

Luminosity, Flux density

Observing frequency ranges from 100s of MHz to couple of GHz

Burst duration ranges from μs to days/months/years

Radio luminosity

EM power in bandwidth $\delta\nu$ from solid angle $\delta\Omega$ intercepted by surface δA is:

$$\delta W = I_\nu \delta\Omega \delta A \delta\nu$$

Defines surface brightness I_ν ($\text{W m}^{-2} \text{Hz}^{-1} \text{sr}^{-1}$)

Flux density S_ν ($\text{W m}^{-2} \text{Hz}^{-1}$) – integrate brightness over solid angle of source

$$S_\nu = \int_{\Omega_s} I_\nu d\Omega$$

Convenient unit – the **Jansky** $\rightarrow 1 \text{ Jy} = 10^{-26} \text{ W m}^{-2} \text{Hz}^{-1} = 10^{-23} \text{ erg s}^{-1} \text{cm}^{-2} \text{Hz}^{-1}$

Brightness temperature

Note: $S_\nu = L_\nu / 4\pi d^2$ ie. distance dependent

$\Omega \propto 1/d^2 \Rightarrow I_\nu \propto S_\nu / \Omega$ ie. distance independent

In general surface brightness is position dependent, ie. $I_\nu = I_\nu(\theta, \phi)$

$$I_\nu(\theta, \phi) = \frac{2k\nu^2 T(\theta, \phi)}{c^2}$$

(if I_ν described by a blackbody in the Rayleigh-Jeans limit; $h\nu/kT \ll 1$)

Back to flux:

$$S_\nu = \int_{\Omega_s} I_\nu(\theta, \phi) d\Omega = \frac{2k\nu^2}{c^2} \int T(\theta, \phi) d\Omega$$

In general, a radio telescope maps the *temperature distribution of the sky*

Brightness temperature

Brightness temperature (T_B) of a source is defined as the temperature of a blackbody with the same surface brightness at a given frequency:

$$I_\nu = \frac{2k\nu^2 T_B}{c^2}$$

This implies that the flux density

$$S_\nu = \int_{\Omega_s} I_\nu d\Omega = \frac{2k\nu^2}{c^2} \int T_B d\Omega$$

Spectral luminosity $\sim 100 \text{ Jy kpc}^2 \sim 10^{22} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1}$

Brightness temperature

Source size $D \sim c * W_{\text{pulse}}$

$$\Omega = (c * W_{\text{pulse}} / D)^2$$

Brightness Temperature $T_B \propto L_\nu / (\nu W_{\text{pulse}})^2$

Constant Brightness Temperature is diagonal line in the transient phase-space plot

For Pulsars, $T_B \propto 10^{25} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1} / (1 \text{ GHz} * 0.01\text{s}) \sim 10^{25} \text{ K}$

For FRBs, $T_B \propto 10^{35} \text{ erg s}^{-1} \text{ cm}^{-2} \text{ Hz}^{-1} / (1 \text{ GHz} * 0.01\text{s}) \sim 10^{35} \text{ K}$

$T_B \sim 10^{12} \text{ K}$ is a approximate boundary between coherent and incoherent emission processes

For $T_B > 10^{12} \text{ K}$, in compact sources, effective temperature of the emitting electrons exceed the synchrotron limit by many orders of magnitude, which means their emission cannot be incoherent synchrotron radiation. Instead they must involve coherent emission processes, where many charges radiate in phase.

Incoherent to Coherent radio emission

Coherent emission processes for high luminosity, narrow pulse (i.e. compact emitting region)

Pulsars ~ millisecond time-scale

FRBs ~ millisecond time-scale

Giant Pulses ~ nano/micro-seconds time-scale

Stellar flares ~ minutes/hours time-scale

Supernovae ~ weeks/years time-scale

Radio Telescope

EM power in bandwidth $\delta\nu$ from solid angle $\delta\Omega$ intercepted by surface δA is:

$$\delta W = I_\nu \delta\Omega \delta A \delta\nu$$

Telescope of effective area A_e receives power P_{rec} per unit frequency from an unpolarised source but is only sensitive to one mode of polarisation:

$$P_{rec} = \frac{1}{2} I_\nu A_e \delta\Omega$$

Telescope is sensitive to radiation from more than one direction with *relative* sensitivity given by the normalized antenna pattern $P_N(\theta, \varphi)$:

$$P_{rec} = \frac{1}{2} A_e \int_{4\pi} I_\nu(\theta, \varphi) P_N(\theta, \varphi) d\Omega$$

Antenna Temperature

Power received by the antenna: $P_{rec} = kT_A$

$$P_{rec} = \frac{A_e}{2} \int_{4\pi} I_\nu(\theta, \varphi) P_N(\theta, \varphi) d\Omega$$

$$\therefore T_A = \frac{A_e}{2k} \int_{4\pi} I_\nu(\theta, \varphi) P_N(\theta, \varphi) d\Omega$$

Antenna temperature is what is observed by the radio telescope.

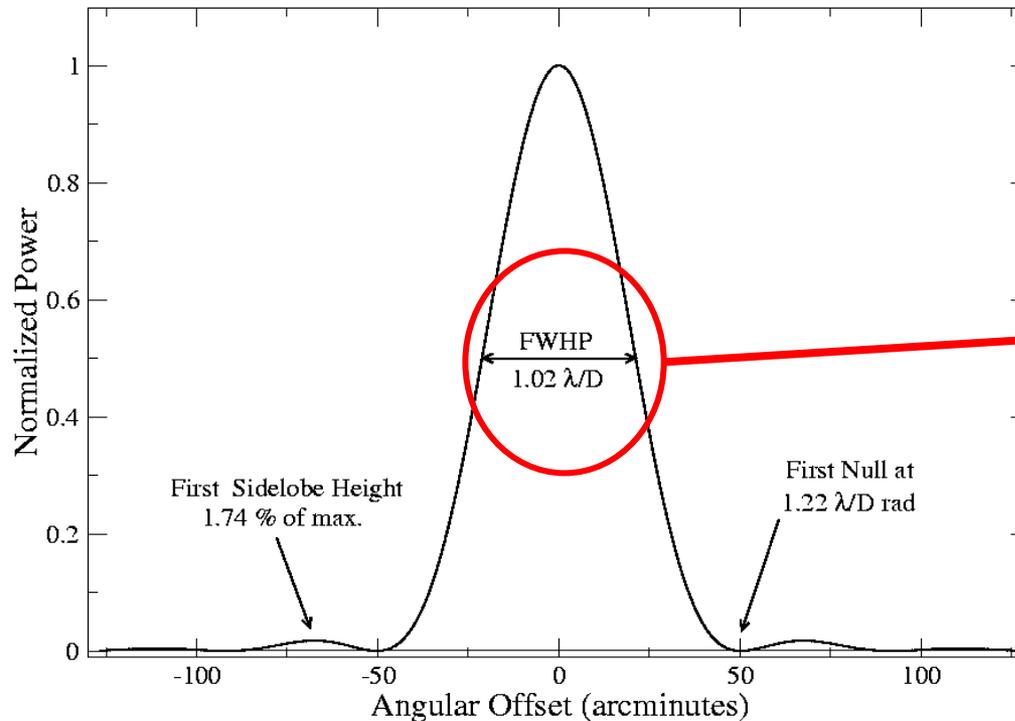
A “convolution” of sky brightness with the beam pattern

It is an inversion problem to determine the source temperature distribution.

Antenna Power Pattern

Antenna Power Response at 1 GHz

25-meter diameter, uniform illumination



Defines telescope resolution

- In interferometry we measure the Fourier components of the sky, so we must perform an FFT to recover the sky image.
- In time-domain astronomy we directly measure the signal as a function of time, so temporal variability is already visible without any Fourier transform.

Sensitivity

Unfortunately, the telescope system itself contributes noise to the the signal detected by the telescope, i.e.,

$$P_{out} = P_A + P_{sys} \rightarrow T_{out} = T_A + T_{sys}$$

The *system temperature*, T_{sys} , represents noise added by the system:

$$T_{sys} = T_{bg} + T_{sky} + T_{spill} + T_{loss} + T_{cal} + T_{rx}$$

T_{bg} = microwave and galactic background (3K, except below 1GHz)

T_{sky} = atmospheric emission (increases with frequency--dominant in mm)

T_{spill} = ground radiation (via sidelobes) (telescope design)

T_{loss} = losses in the feed and signal transmission system (design)

T_{cal} = injected calibrator signal (usually small)

T_{rx} = receiver system (often dominates at cm — a design challenge)

Note that T_{bg} , T_{sky} , and T_{spill} vary with sky position and T_{sky} is time variable

Sensitivity

Q: How can you detect T_A (signal) in the presence of T_{sys} (noise)?

A: The signal is correlated from one sample to the next but the noise is not

For bandwidth $\Delta\nu$, samples taken less than $\Delta\tau = 1/\Delta\nu$ are not independent
(Nyquist sampling theorem!)

Time τ contains $N = \tau/\Delta\tau = \tau \Delta\nu$ independent samples

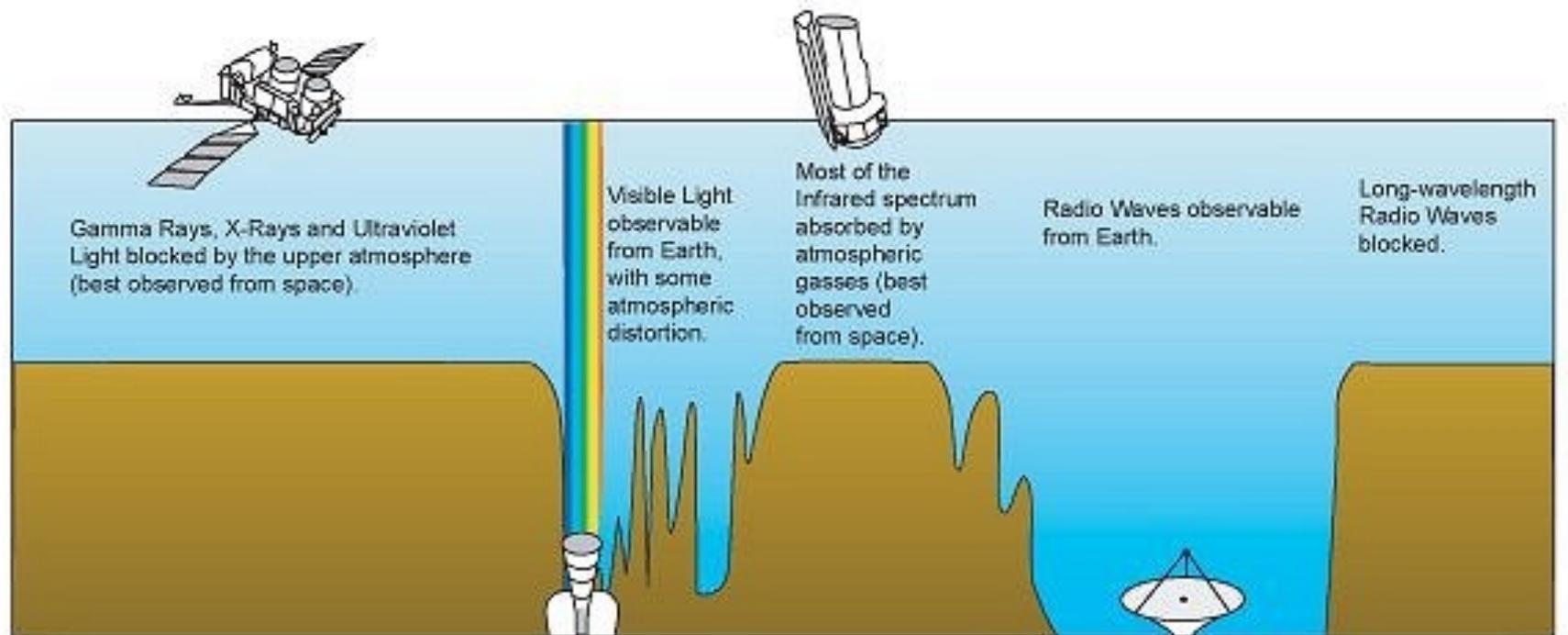
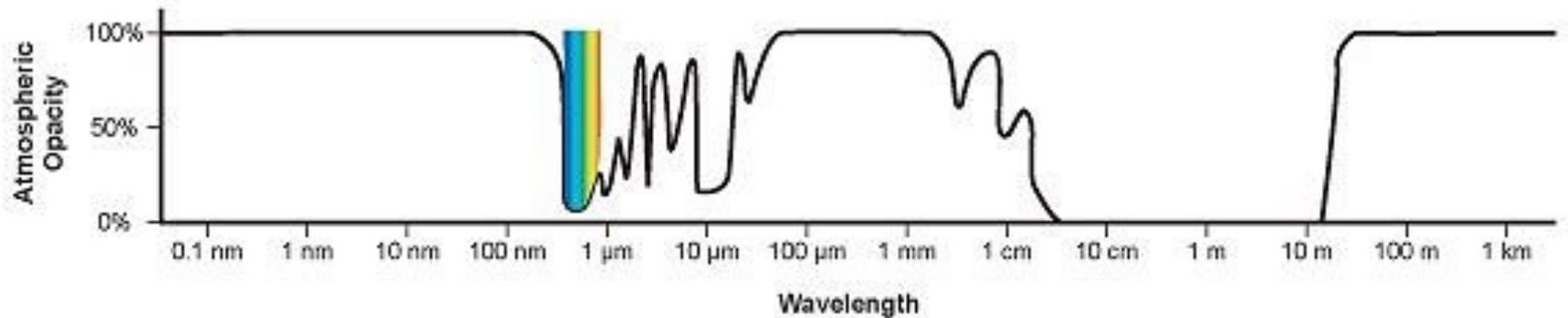
For Gaussian noise, total error for N samples is $1/\sqrt{N}$ that of single sample

$$\therefore \frac{\Delta T_A}{T_{sys}} = \frac{1}{\sqrt{\tau \Delta\nu}}$$

Radiometer equation

$$SNR = \frac{T_A}{\Delta T_A} = \frac{T_A}{T_{sys}} \sqrt{\tau \Delta\nu}$$

Radio Astronomy

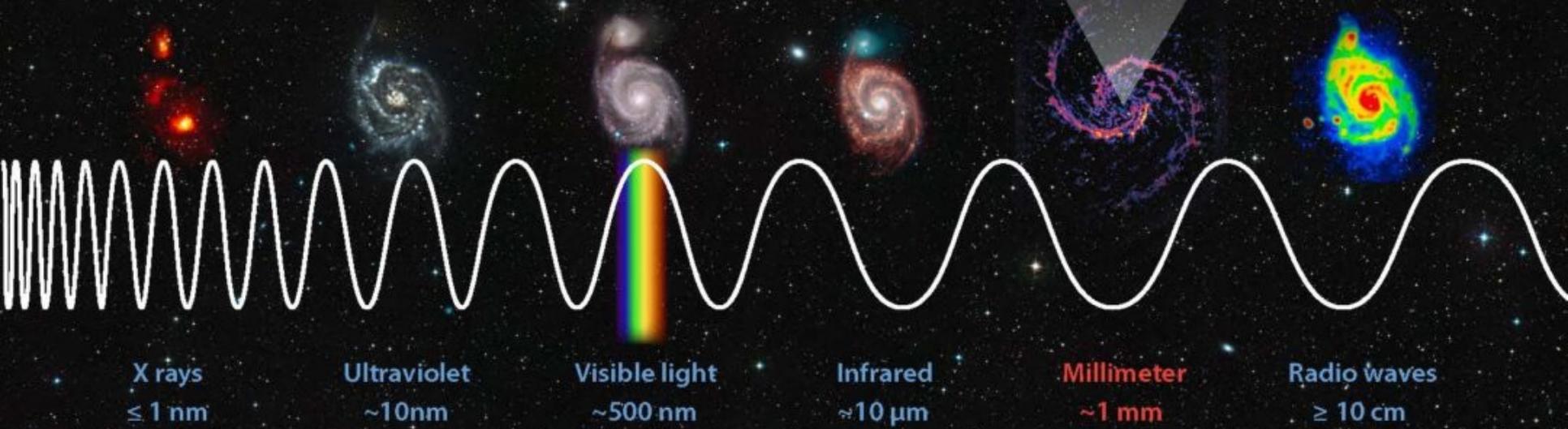


Radio Astronomy

Investigating what is optically invisible

Each cosmic object emits different categories of light depending on its age, composition and temperature: visible and ultraviolet light but also infrared and radiowaves. In order to get a complete image of a cosmic object, its origins and its evolution, modern astronomy combines observations of different wavelengths, all complementary to one another.

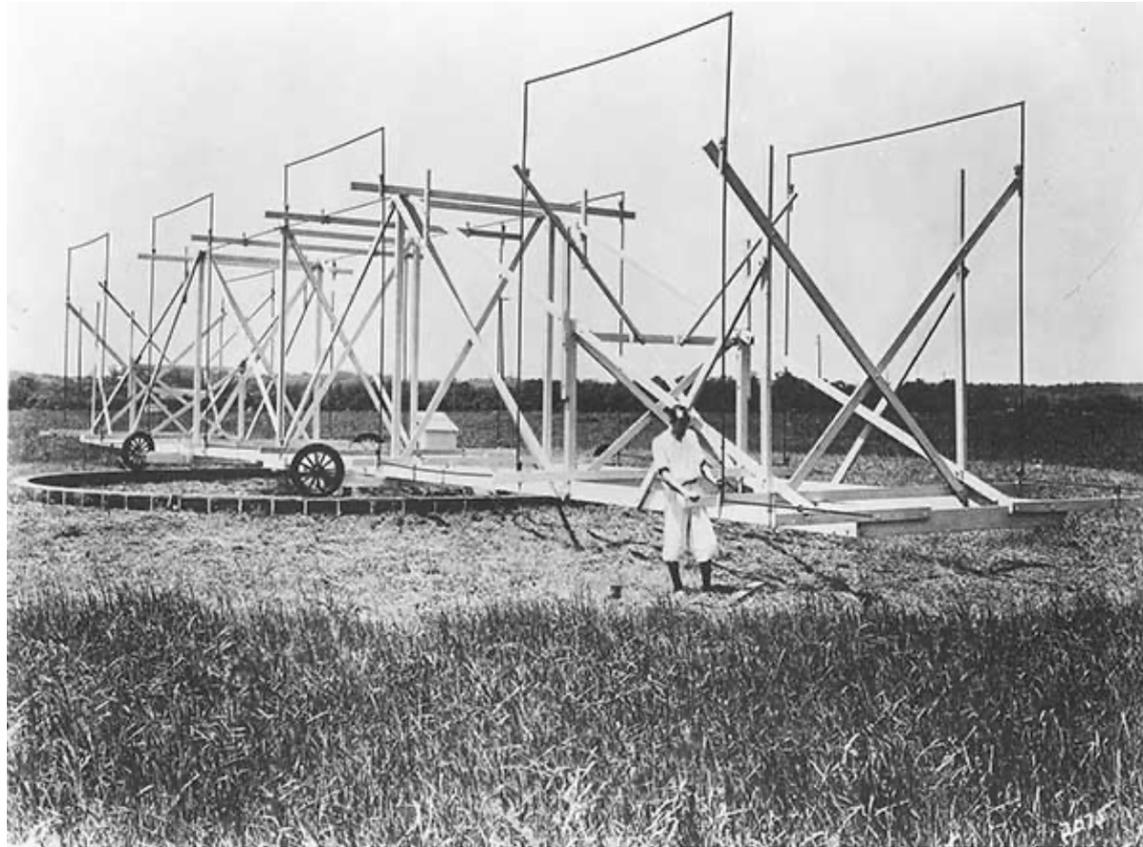
Visual of the M51 galaxy from data collected at millimeter wavelengths by the IRAM observatories



Radio Astronomy processes

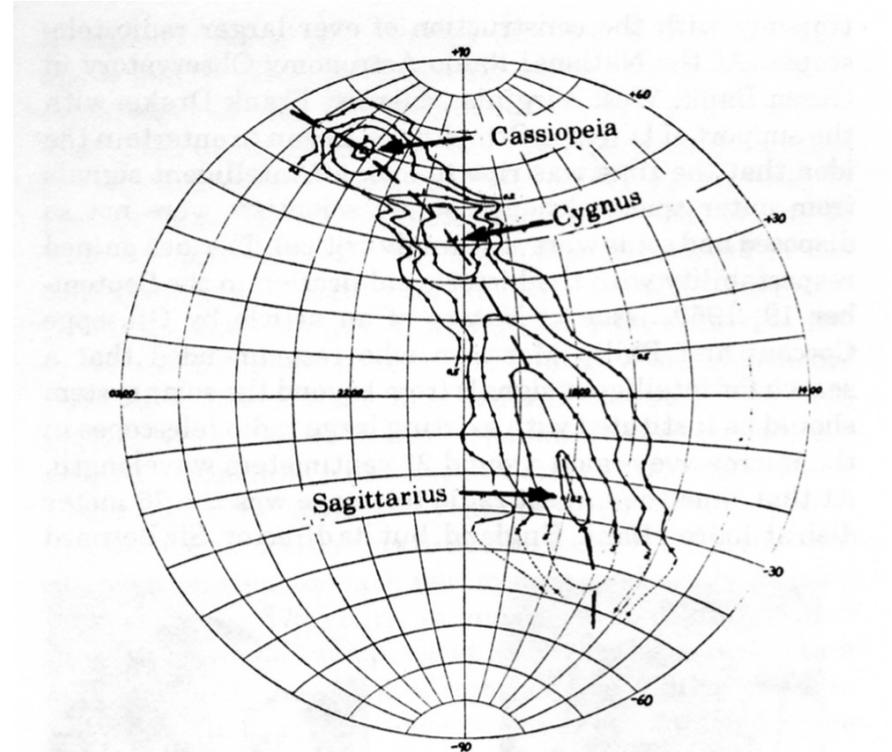
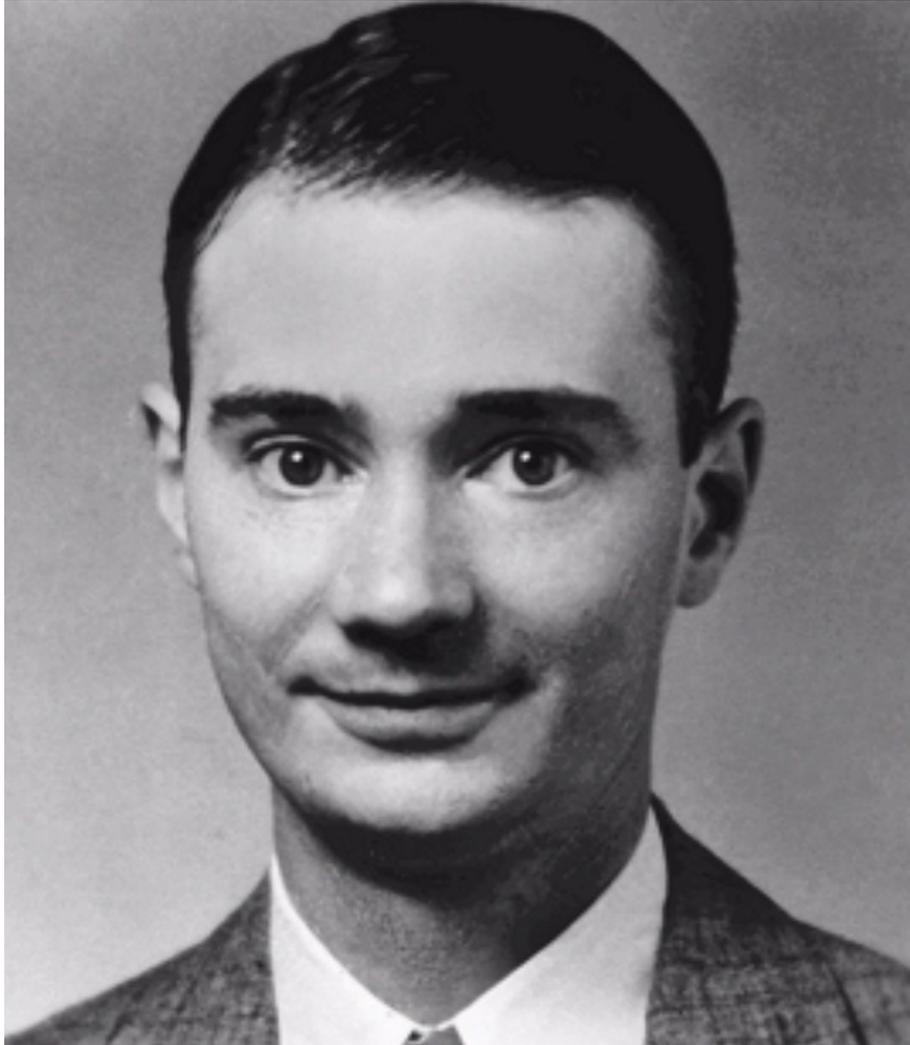
Frequency Range	Main Processes	Typical Sources
10 MHz – 3 GHz	Pulsar emission, neutral hydrogen 21-cm line, Synchrotron radiation from relativistic electrons	Pulsars, galaxies, interstellar medium, Supernova remnants, radio galaxies
1 – 30 GHz	Free–free emission, synchrotron + thermal emission	HII regions, star-forming galaxies
30 – 300 GHz	Cold dust emission, molecular lines	Molecular clouds, protoplanetary disks
~100 GHz peak	Cosmic Microwave Background (CMB)	Early Universe relic radiation

The beginning – Karl Jansky 1933



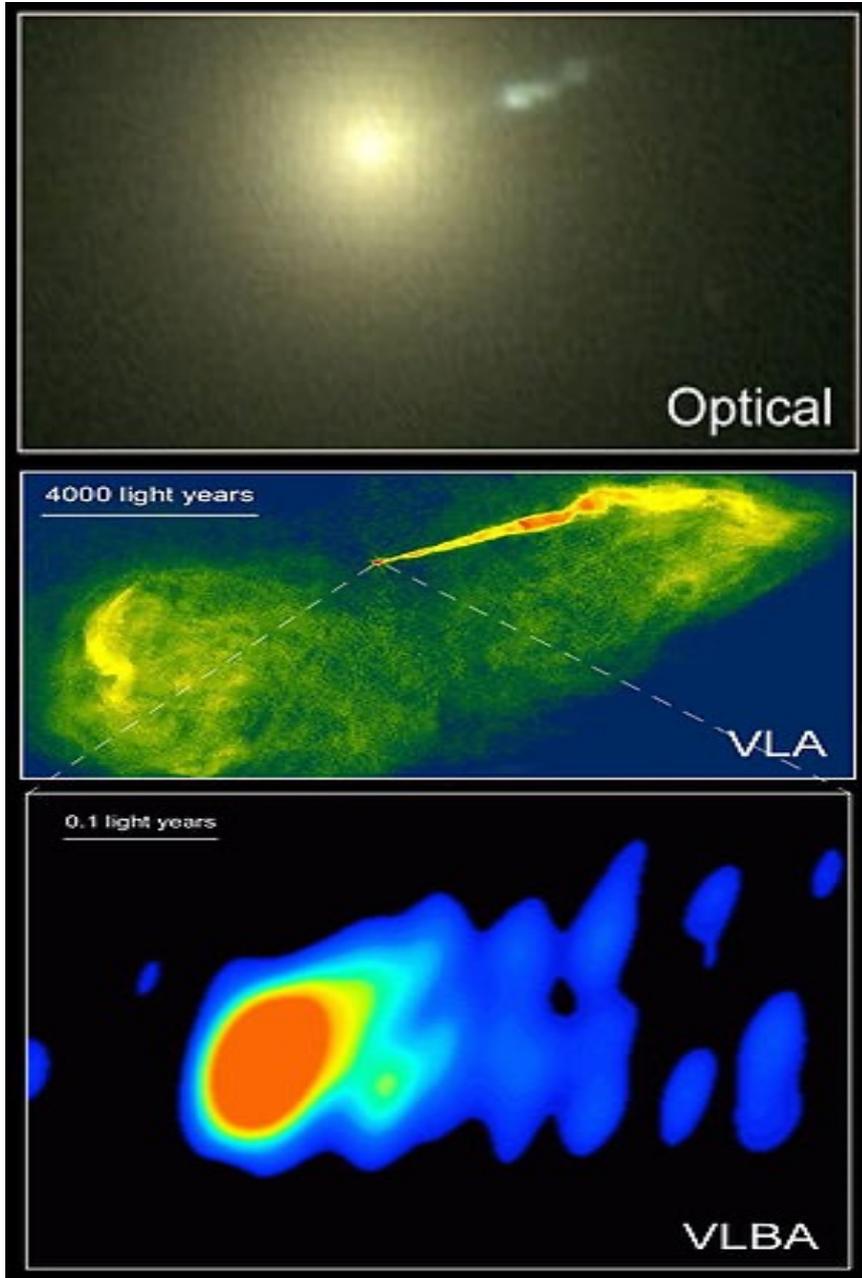
Discovered radio emission from the centre of the Milky Way

First radio map of the sky – Grote Reber 1941



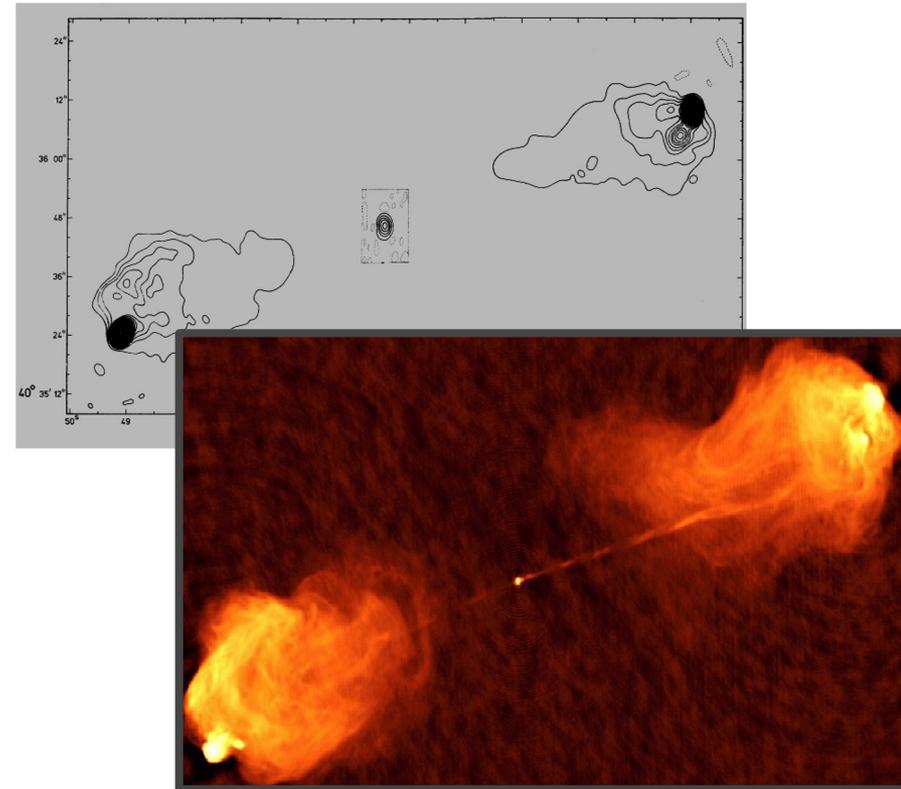
First map of the radio sky as produced by Grote Reber showing strong sources of radiation in Cassiopeia, in Cygnus and in Sagittarius, the center of the galaxy, the region from which Karl Jansky had detected radio emission.

Optical Vs Radio

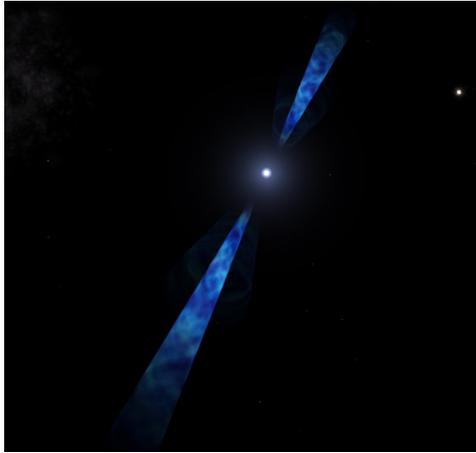


An optical image of the galaxy M87 (HST), a radio image of same galaxy using Interferometry (Very Large Array-VLA), and an image of the center section (VLBA) using a Very Long Baseline Array (Global VLBI) consisting of antennas in the US, Germany, Italy, Finland, Sweden and Spain.

Power of Array Telescopes



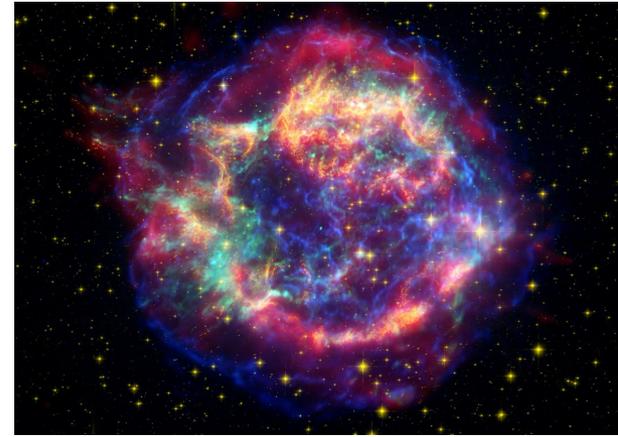
Exploring radio sky



Pulsars: strong magnetic fields



Luminous stars – star-forming regions

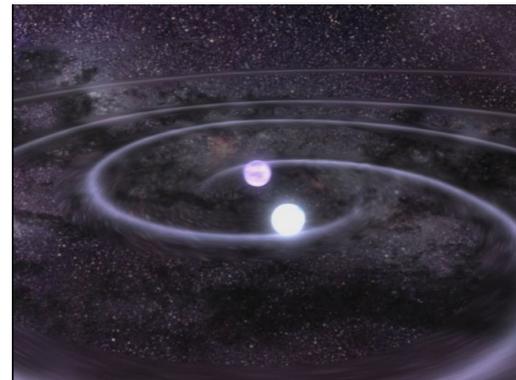


Supernovae remnants
Cassiopeia A



Supermassive black holes -
quasars, blazars

Fast transients: Fast Radio
Bursts



Gravitational waves,
theory of gravity

Radio Astronomy processes

Frequency Range

100–300 MHz

300 MHz – 1.5 GHz

1 – 3 GHz

3 – 5 GHz

Time-domain sources

Low-frequency pulsars, coherent emission, some FRBs, LPTs

Pulsars, RRATs, magnetars, FRBs, LPTs

FRBs, pulsars, millisecond pulsar timing for Pulsar Timing Arrays

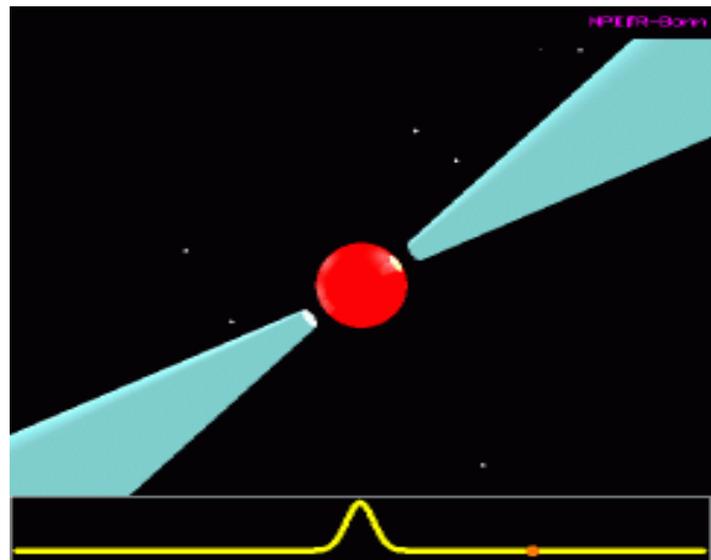
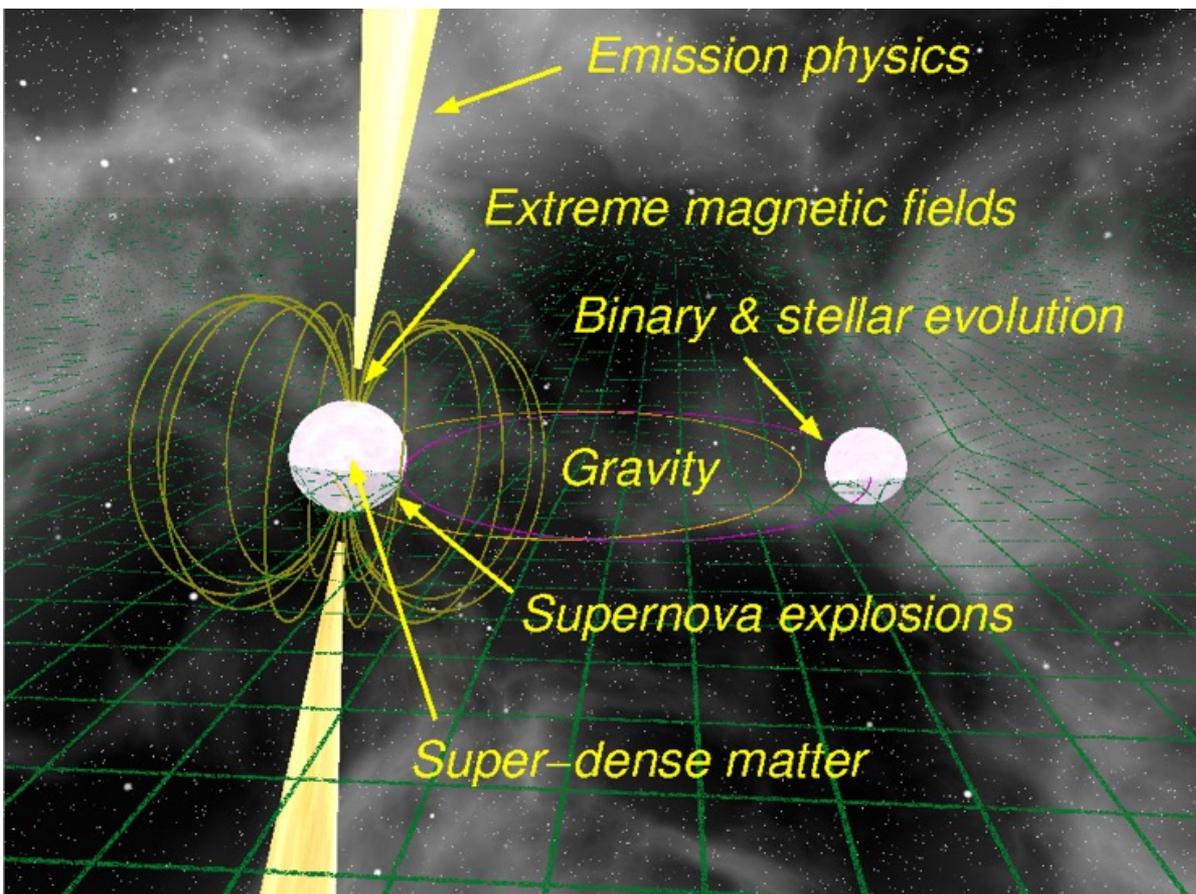
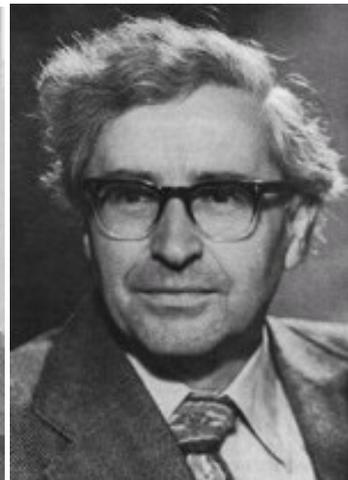
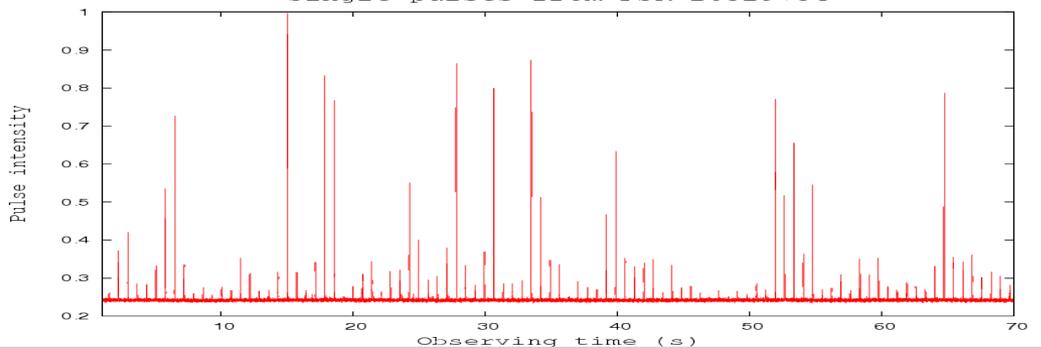
High-frequency pulsars, magnetars, scattering studies

Time-domain radio astronomy sources

Class	Timescale	Examples
Fast transients	microseconds–seconds	Pulsars, FRBs
Intermediate	seconds–minutes	Magnetars, RRATs
Long-period	minutes–hours	Long-period transients
Slow transients	days–years	Supernovae, AGN flares

Pulsars

Single pulses from PSR B0329+54



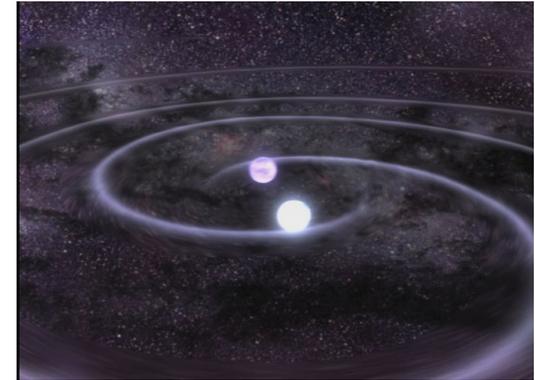
Pulsars to detect GWs

Pulsar rotation period as $0.00306184403674401 \pm 0.0000000000000000005$ s
predict the arrival times of all incoming pulses for the next 10 million years!

GW source: Orbital period shrinking
→ merging of Neutron stars



Credit: John Rowe Animation

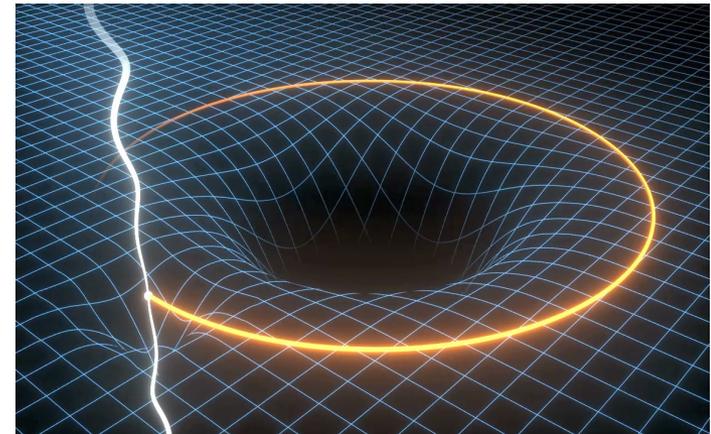


Credit: John Rowe Animation



GW170817: detected with LIGO

GW source: Pulsars orbiting a Black Hole



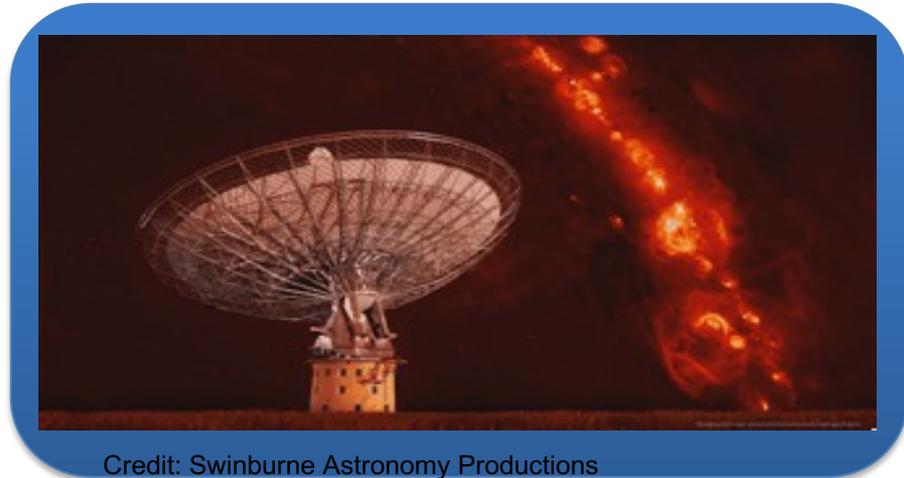
Credit: John Rowe's Animations

Fast Transients: Fast Radio Bursts

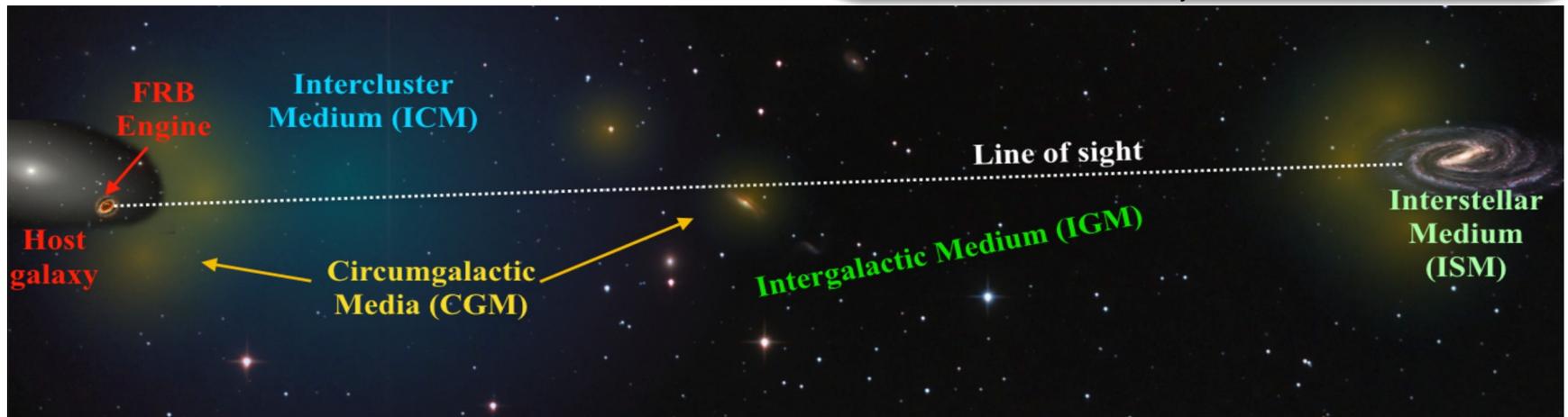
Millisecond duration radio bursts with likely extragalactic origin

Only ~ 4500 discovered so far

Millisecond duration cosmic flashlights
having energy equal to the total
energy emitted by Sun in 80 years!



Credit: Swinburne Astronomy Productions



Father of Indian Radio Astronomy



Prof. Govind Swarup

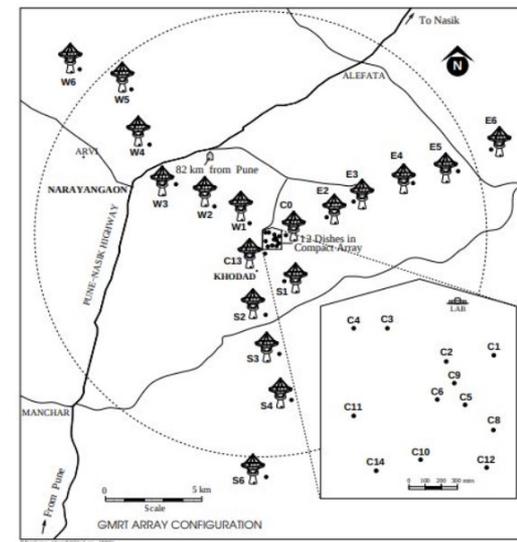
“GMRT is a marriage of the world’s two big radio telescopes, the Very Large Array in New Mexico, and Arecibo in Puerto Rico, with the advantages of both”.

The upgraded GMRT



A radio interferometer with fully steerable dishes of 45 metres diameter, operating over 120-1460 MHz bands

One of the most sensitive instrument in the world at its frequencies of operation



Array located at 80 km north to Pune consisting of 30 antennas over 25 km maximum baseline

With Instantaneous bandwidth of 200/400 MHz GMRT is an excellent instrument for time-domain studies of Pulsars/FRBs: Pulsar Search (surveys like GHRSS, GCGPS), Timing, Eclipse studies of spider MSPs, Single pulse studies, repeating FRBs